

1. Define point of concurrency.

the point of intersection of three  
or more lines

2. Complete the chart.

Point of Concurrency	Type of construction that needs to be done to find the point of concurrency	Is the point of concurrency located inside or outside of the triangle?
Circumcenter C	Perpendicular Bisectors P	Both; depends on the type of triangle
Incenter I	Angle Bisectors A	Inside
Centroid C	Medians M	Inside
Orthocenter O	Altitudes A	both, depends

- a) Which two points of concurrency are located on the outside of an
- obtuse**
- triangle?

Circumcenter and orthocenter

- b) Which two points of concurrency are always located on the inside of
- any**
- triangle?

Incenter and centroid

## Unit 1

3. What does **Peanut Butter Cookies Are Best In Milk Chocolate And Ovaltine** mean?

Perpendicular Bisector  $\rightarrow$  Circumcenter

Angle Bisectors  $\rightarrow$  Incenter

Medians  $\rightarrow$  Centroid

Altitudes  $\rightarrow$  Orthocenter

4. In an **acute** triangle, where is the location of the:

a) circumcenter inside

b) incenter inside

c) centroid inside

d) orthocenter inside

5. In a **right** triangle, where is the location of the :

a) circumcenter on the triangle

b) incenter inside

c) centroid inside

d) orthocenter on the triangle (on the right  $\angle$ )

6. In an **obtuse** triangle where is the location of the :

a) circumcenter outside

b) incenter inside

c) centroid inside

d) orthocenter outside

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7. If perpendicular bisectors of the sides of a triangle are drawn, which point of concurrency would be shown?

A. orthocenter B. circumcenter C. incenter D. centroid

8. How many points determine a line? 2

9. How many points determine a plane? 3

What must be true about the points? they must be non-collinear

10. Two non-parallel lines intersect how many times? once

11. If two planes intersect, what is formed? a line

12. How many endpoints are on a ray? 1

13. How many endpoints are on a segment? 2

14. How many endpoints are on a line? 0

15. In the diagram below,  $\overline{OB}$  bisects  $\angle AOC$ . The measure of  $\angle AOC$  is  $7x + 2$ , and the measure of  $\angle COB$  is  $5x - 8$ . Find:

A) The value of  $x$ .

$$5x - 8 + 5x - 8 = 7x + 2$$

$$10x - 16 = 7x + 2$$

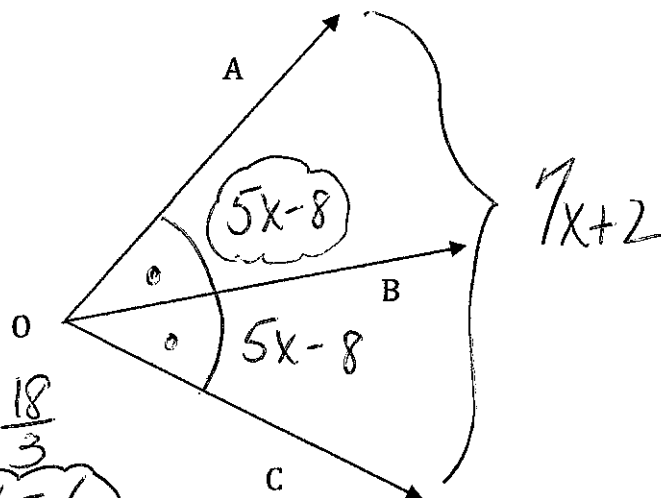
$$\begin{array}{r} -7x \\ -7x \\ \hline 3x - 16 = 2 \end{array}$$

$$\begin{array}{r} 3x - 16 = 2 \\ + 16 + 16 \\ \hline 3x = 18 \\ \div 3 \div 3 \\ \hline x = 6 \end{array}$$

B) The measure of  $\angle AOB$ .

$$\begin{aligned} \angle AOB &= 5x - 8 \\ &= 5(6) - 8 \\ &= 30 - 8 \\ &= 22 \end{aligned}$$

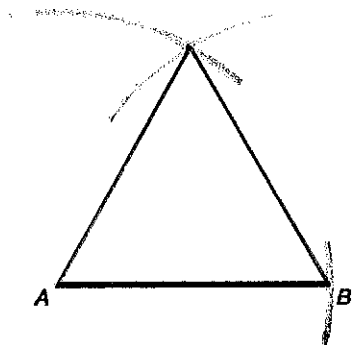
$$\boxed{\angle AOB = 22}$$



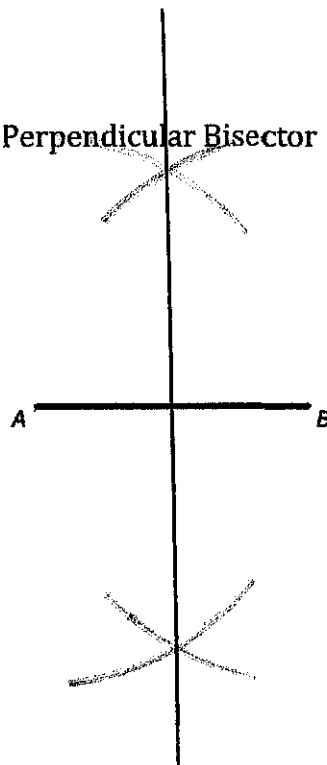
Unit 1

16. Using a compass and straightedge, construct the following:

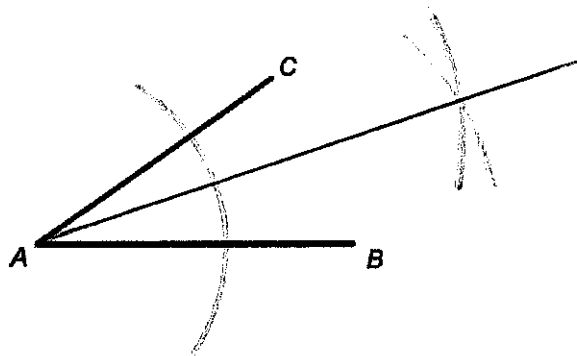
a. Equilateral Triangle



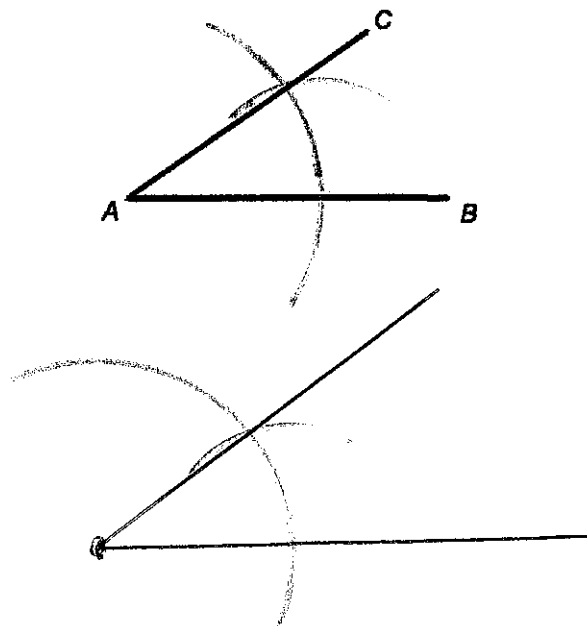
b. Perpendicular Bisector



c. Angle Bisector

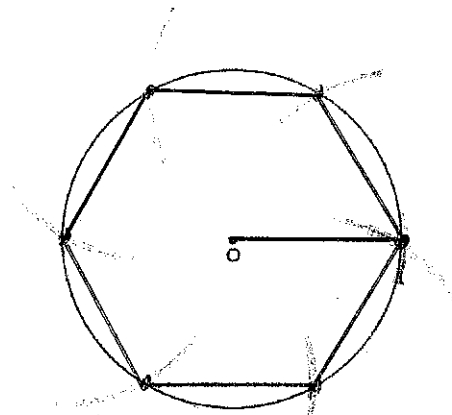


d. Copy the given angle

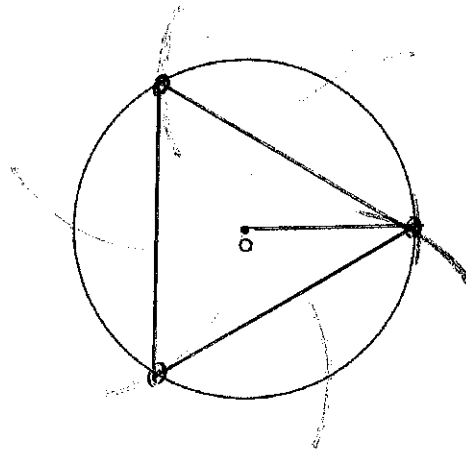


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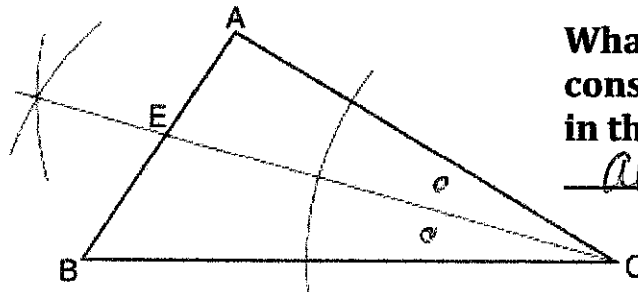
17. Construct a regular hexagon in the circle provided. Leave all construction marks.



18. Construct an equilateral triangle in the circle provided.



19. A student used a compass and a straightedge to construct  $\overline{CE}$  in  $\triangle ABC$  as shown below.



What type of construction is shown in the diagram?

angle bisector

Which statement must always be true for this construction?

A.  $\angle CEA \cong \angle CEB$  NO

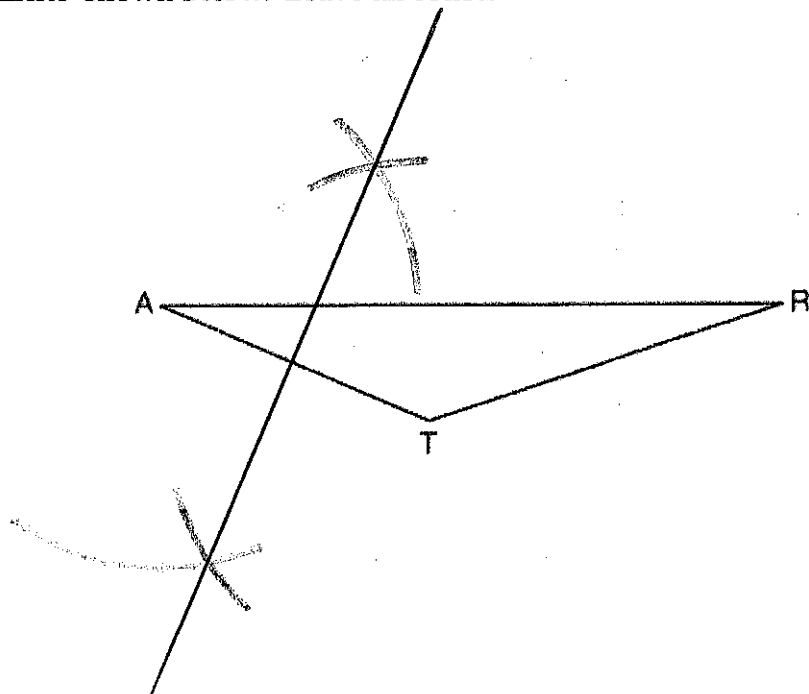
C.  $\overline{AE} \cong \overline{BE}$  NO

☒ B.  $\angle ACE \cong \angle BCE$  Yes

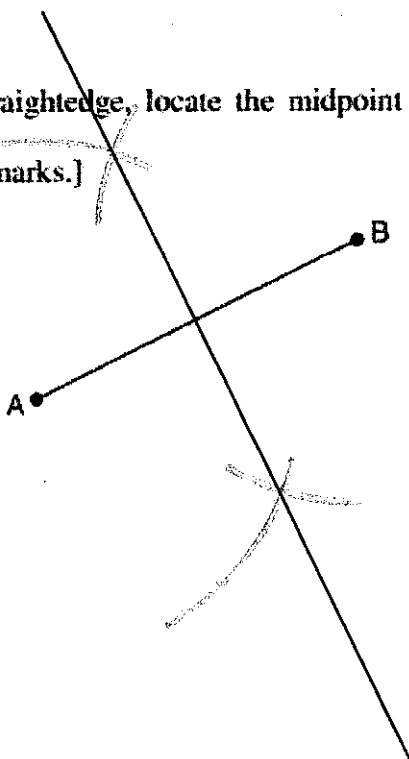
D.  $\overline{EC} \cong \overline{AC}$  NO

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20. Using a compass and straightedge, construct the perpendicular bisector of side  $\overline{AT}$  in  $\triangle ART$  shown below. Leave all construction marks.

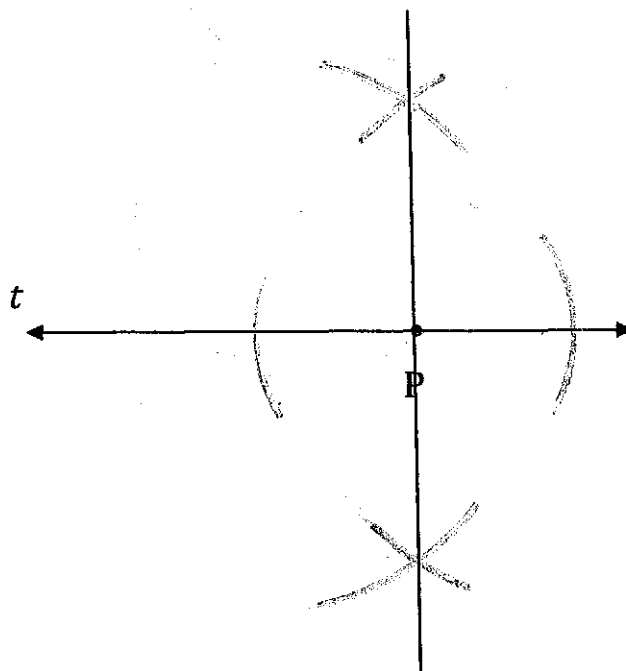


21. Using a compass and straightedge, locate the midpoint of  $\overline{AB}$  by construction.  
[Leave all construction marks.]

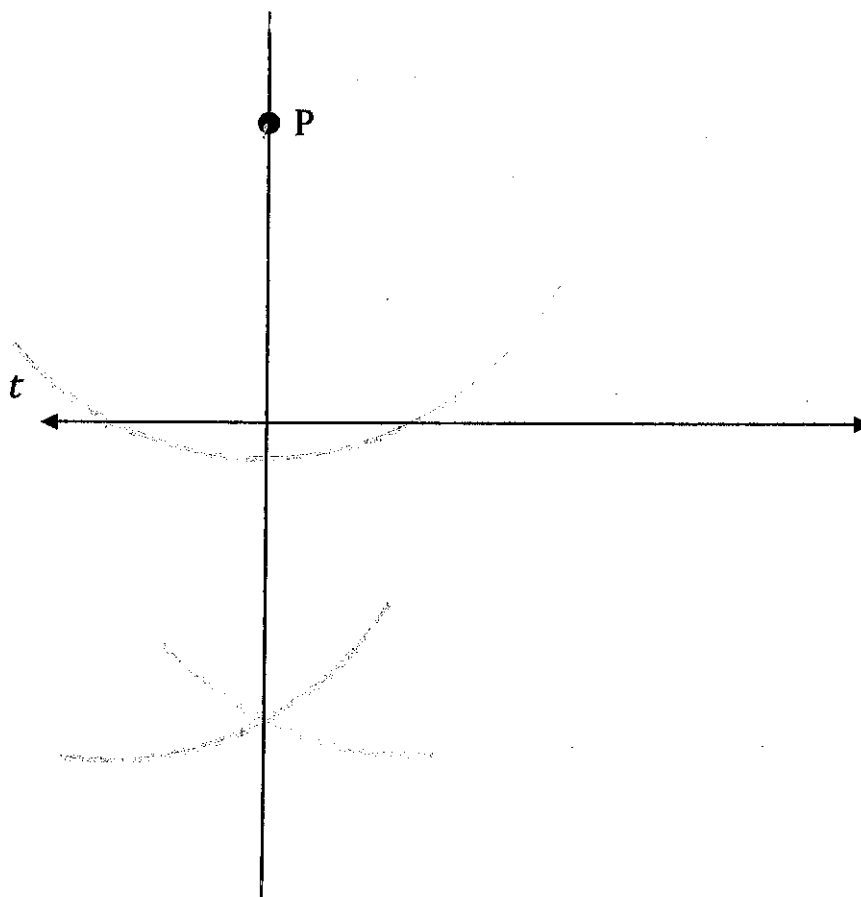


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22. Using a compass and straightedge, draw a line perpendicular to line  $t$  that passes thru point  $P$ .

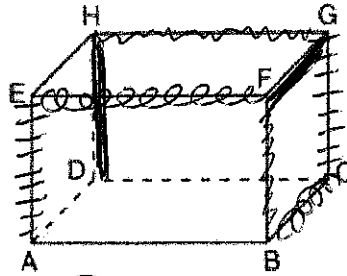


23. Using a compass and straightedge, draw a line perpendicular to line  $t$  that passes thru point  $P$ .



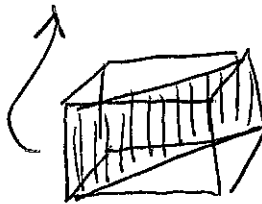
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24. A right rectangular prism is shown in the diagram below.

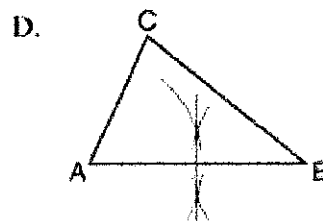
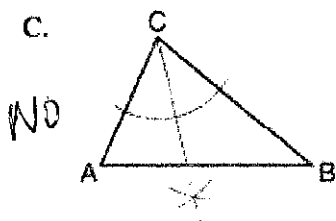
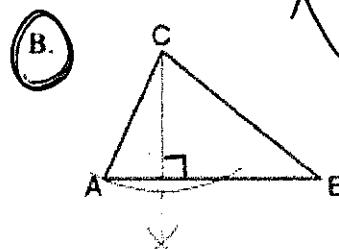
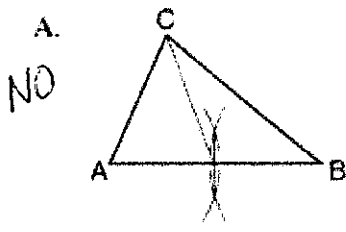


Which line segments are coplanar? —on the same plane

- A.  $\overline{GH}$  and  $\overline{FB}$  No  
 B.  $\overline{EA}$  and  $\overline{GC}$  Yes  
 C.  $\overline{EF}$  and  $\overline{BC}$  No  
 D.  $\overline{HD}$  and  $\overline{FG}$  No



25. Which diagram illustrates a correct construction of an altitude of  $\triangle ABC$ ?

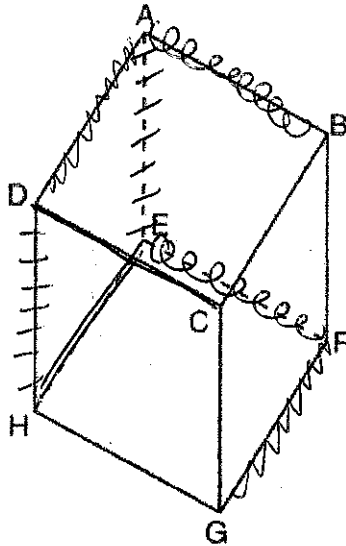


makes a  $90^\circ$  angle with the side opposite the vertex



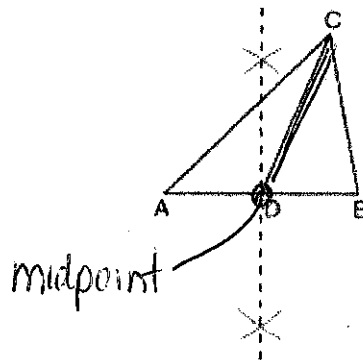
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26. Which pair of edges is *not* coplanar in the cube shown below?



- (A)  $\overline{EH}$  and  $\overline{CD}$     B.  $\overline{AD}$  and  $\overline{FG}$     C.  $\overline{DH}$  and  $\overline{AE}$     D.  $\overline{AB}$  and  $\overline{EF}$
- not coplanar    coplanar    coplanar    coplanar

27. In the construction shown below,  $\overline{CD}$  is drawn.

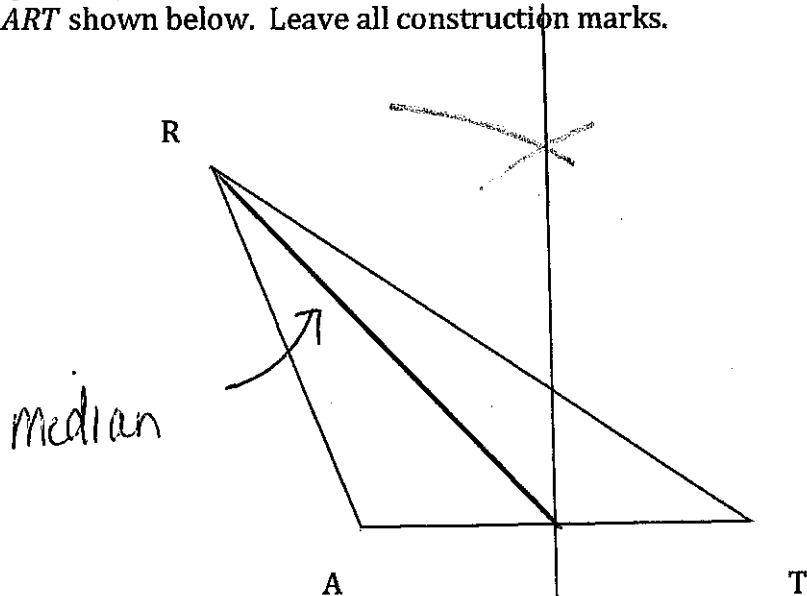


In  $\triangle ABC$ ,  $\overline{CD}$  is the

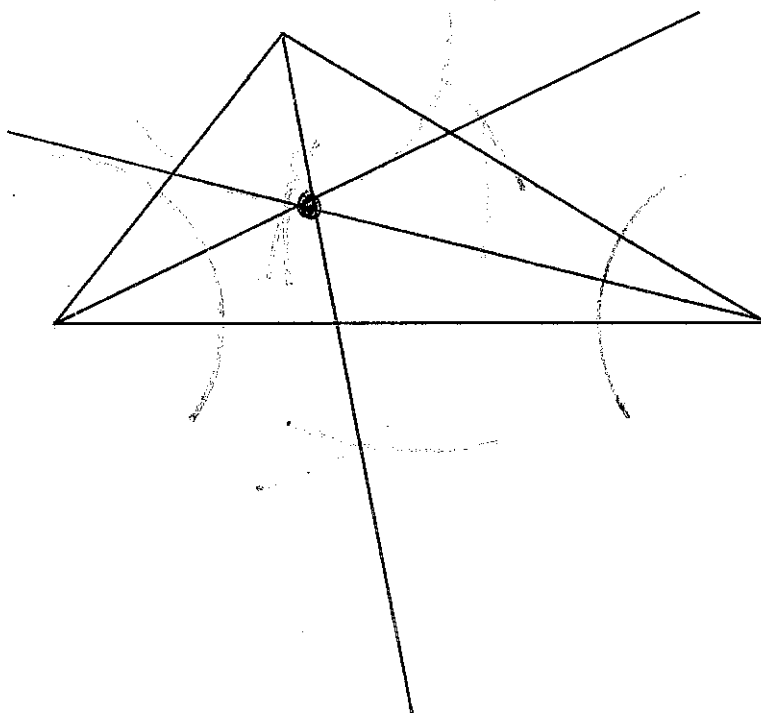
- A. perpendicular bisector of side  $\overline{AB}$     (B.) median to side  $\overline{AB}$
- C. altitude to side  $\overline{AB}$     D. bisector of  $\angle ACB$

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28. Using a compass and straightedge, construct the **median** to side  $\overline{AT}$  in  $\triangle ART$  shown below. Leave all construction marks.

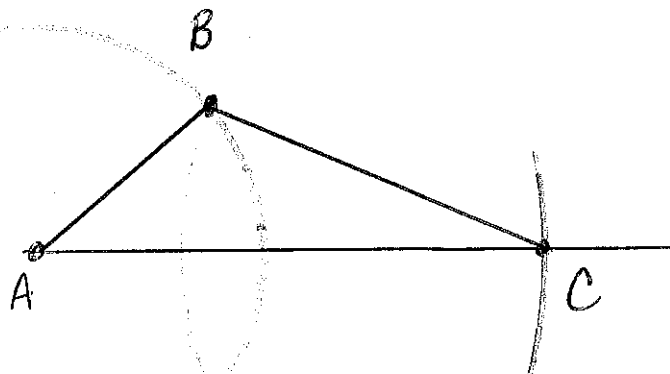
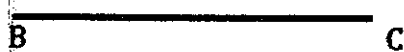


29. Use your compass and straightedge to find the **incenter** of the following triangle.  
**HINT:** You will need to do an angle bisector construction for each angle.



# Unit 1

30. With a compass and straightedge, construct scalene triangle ABC with sides the lengths of the three segments below.



31. Each of the following words is a description of one of the constructions shown below. Match the term to the correct construction and write it on the line below:

ALTITUDE

CENTROID

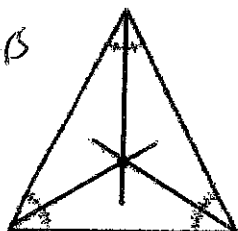
CIRCUMCENTER

EQUILATERAL TRIANGLE

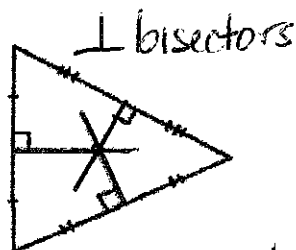
INCENTER

MEDIAN

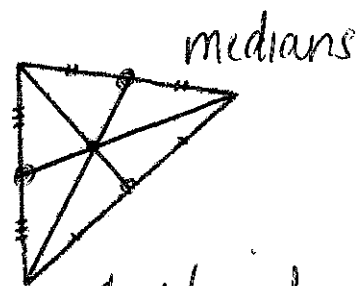
angle  
bisectors



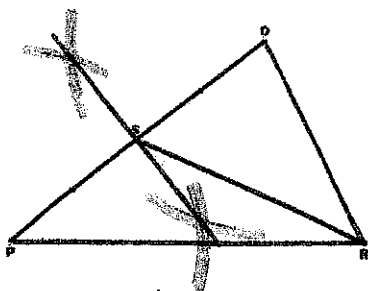
Incenter



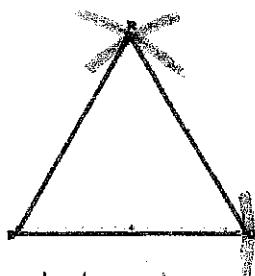
Circumcenter



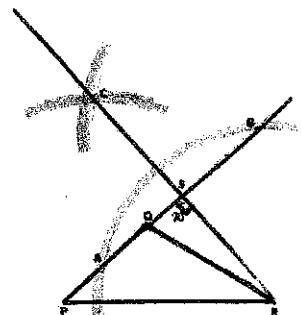
Centroid



median



equilateral  $\Delta$



altitude

